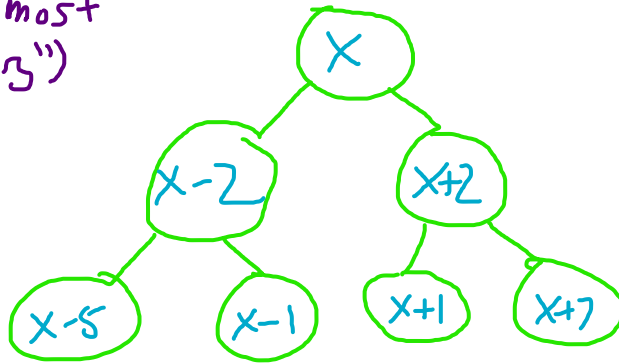


Binary Search Trees (BSTs)

BST Properties

- Every key in the left subtree of a node x is always less than x .
- Every key in the right subtree of a node x is always greater than x .
- Each node has at most 2 children ("binary")
- NO DUPLICATES



BST.insert(x)

① Start at $\text{curr_node} = \text{root}$

② if $x > \text{curr_node.value}$:

$\text{curr_node} = \text{curr_node.right}$

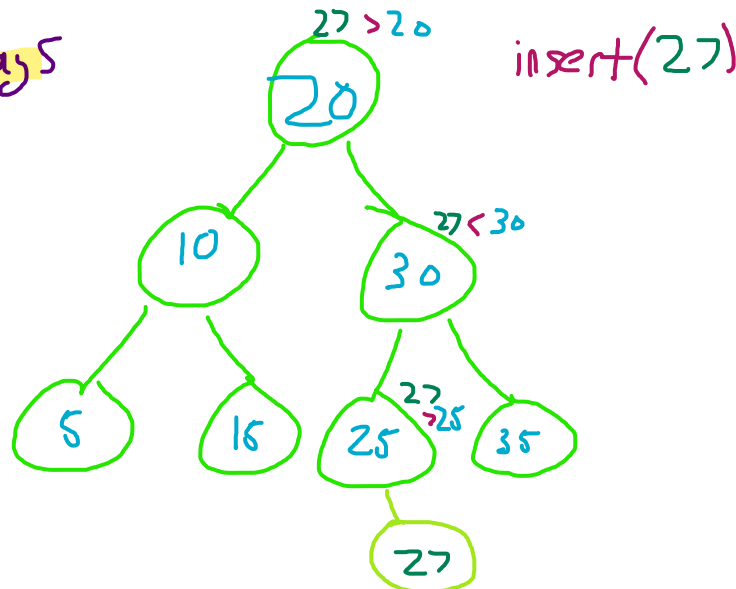
else:

$\text{curr_node} = \text{curr_node.left}$

} repeat until curr_node is NULL

③ insert new Node(x) at current location

* New nodes always added as leaf

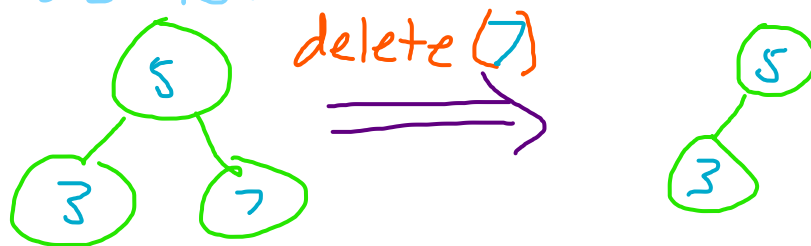


Challenge: how do we code this?

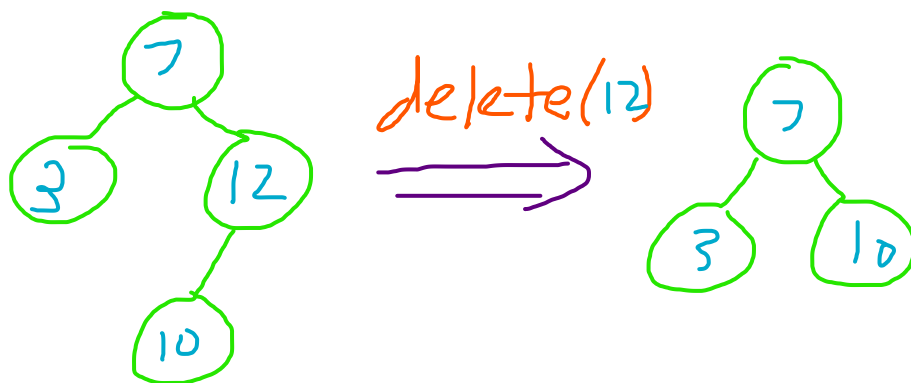
BST.delete(X)

3 cases:

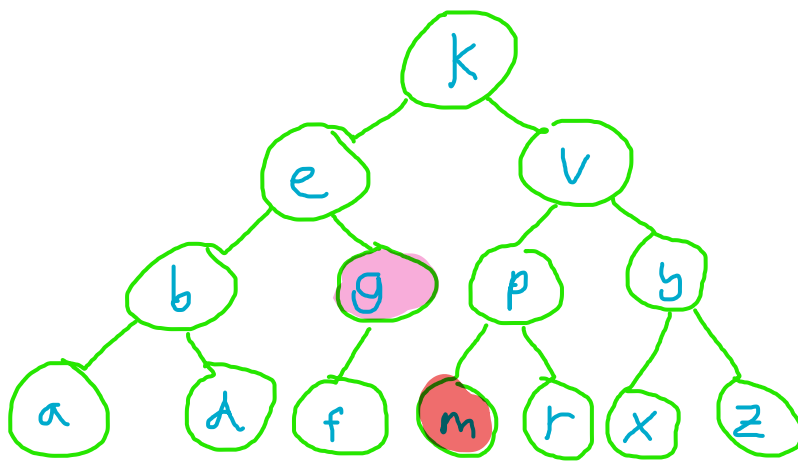
- ① If node to be deleted has 0 children just delete!



- ② If node to be deleted has 1 child link parent to child node to be deleted.



- ③ If node to be deleted has 2 children to be deleted node is replaced by predecessor (largest node of left subtree of node) or successor (smallest node of right subtree of node)



~~delete(k)~~

or

~~delete(k)~~

