

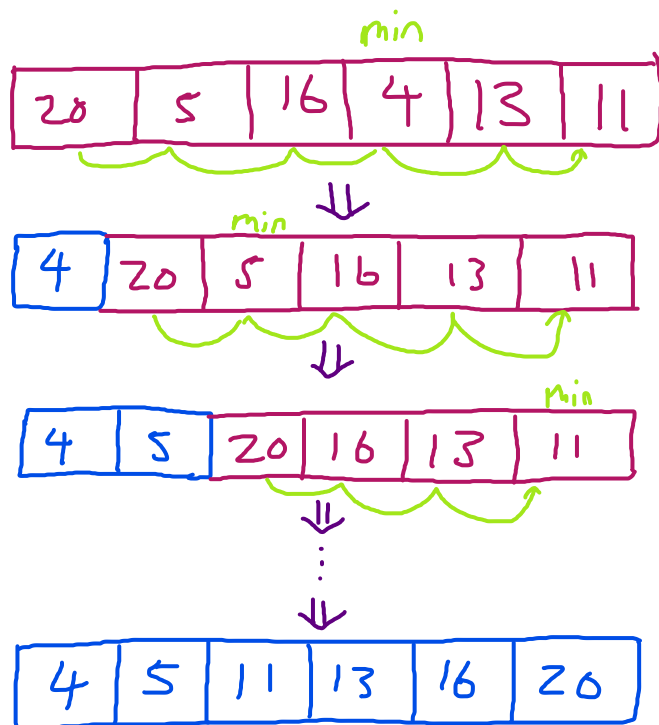
Sorting



Selection Sort

- ① Find *smallest* item by traversing array
- ② Swap this item to front of "unfixed" items and "fix" it
- ③ Repeat 1 and 2 for unfixed items until all items are "fixed"

Example:



Selection Sort Runtime? $\Theta(N^2)$

We traverse the array to find the minimum. This will take $\Theta(N)$.
We repeat this N times. Therefore, our runtime is $\Theta(N^2)$.

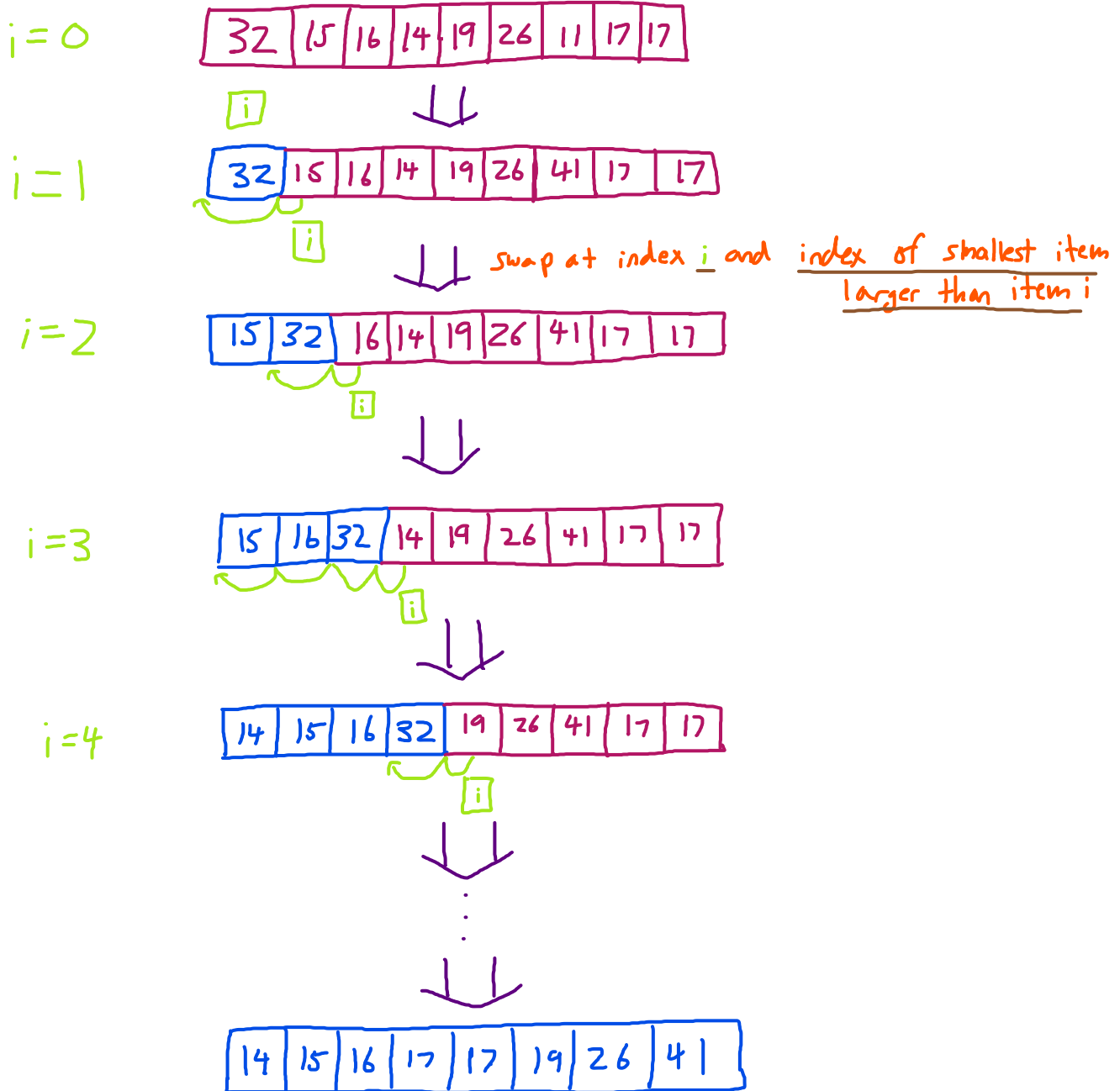
stable? (equal items in unsorted array remains in same sequence)
i.e. $\boxed{4_{(1)}} \boxed{5} \boxed{4_{(2)}} \rightarrow \boxed{4_{(1)}} \boxed{4_{(2)}} \boxed{5}$

Insertion Sort

Repeat for $i=0, 1, \dots, N-1$:

Swap item i backwards until it is in right place among previously examined items

Example:



• Runtime: $\Omega(N)$, $O(N^2)$

If array already well sorted, then no need for many swaps backwards

1	2	3	4	5	6
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Swap backwards

O times, once we get to item i , we only look at prev item then proceed

• Stable?

Yes! When we try to swap item backwards, we stop trying when we see an item that is equal

1	$S_{(1)}$	7	$S_{(2)}$	6	$S_{(3)}$	2
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1	$S_{(1)}$	7	$S_{(2)}$	6	$S_{(3)}$	2
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1	$S_{(1)}$	7	$S_{(2)}$	6	$S_{(3)}$	2
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